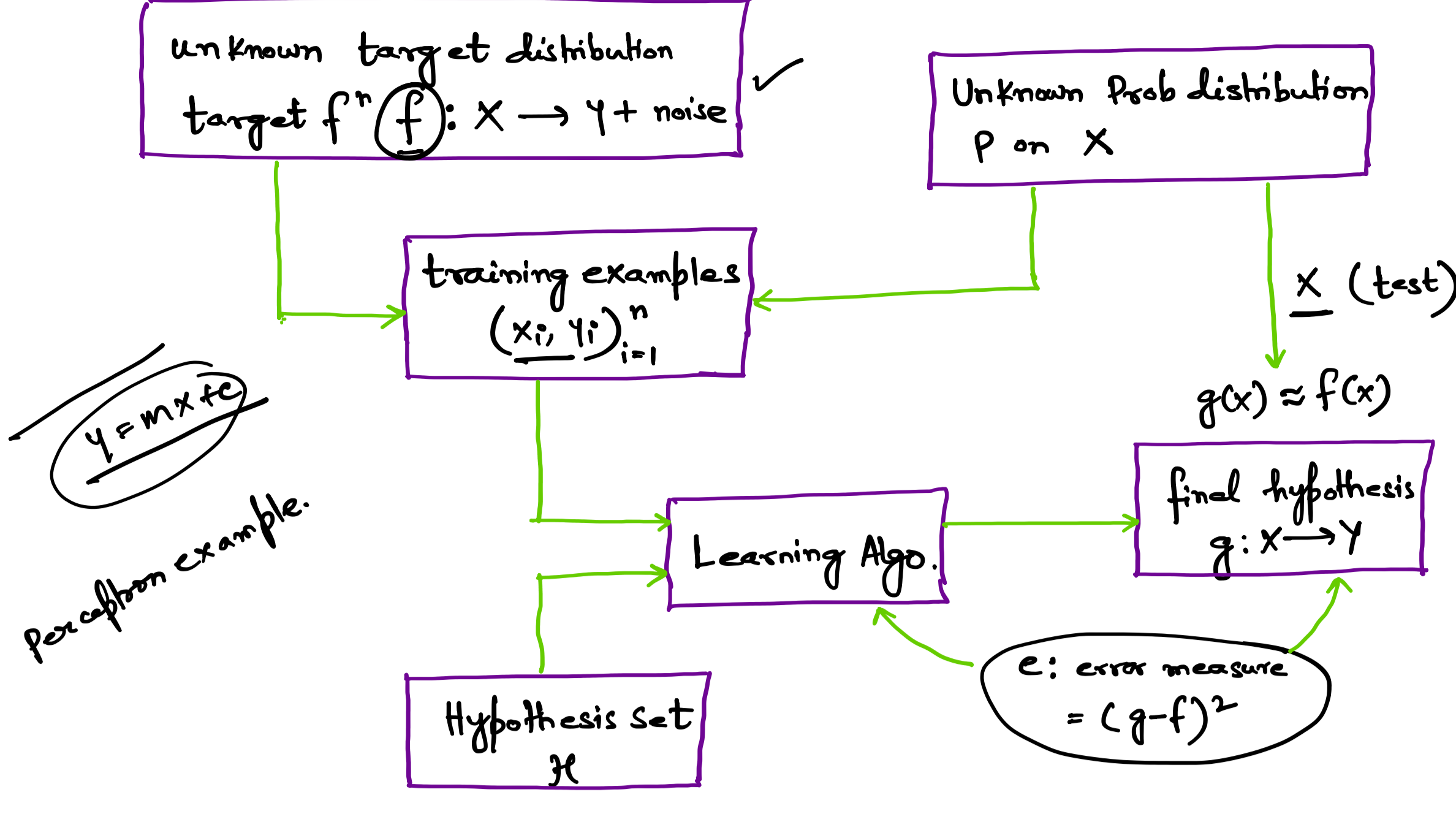


① Cross-validation ③ Softmax Vs Logistic Regression.

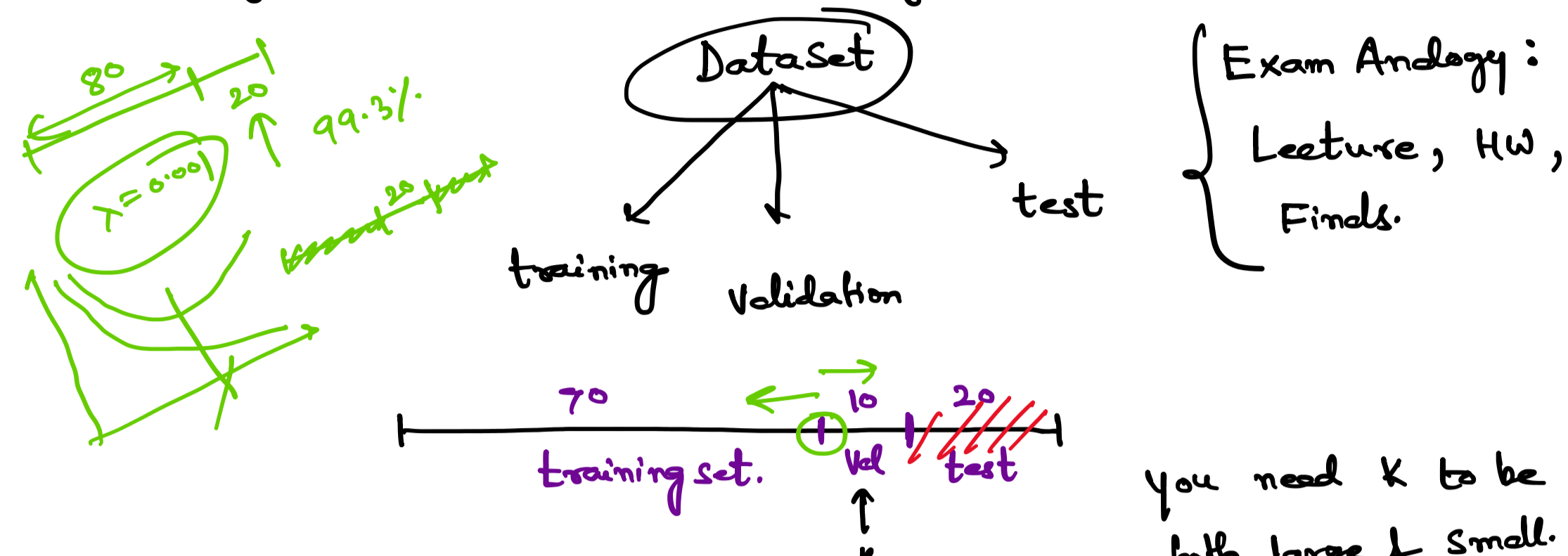
② Evaluation metrics

$f: X \rightarrow Y$ $y + \underline{\text{noise}}$

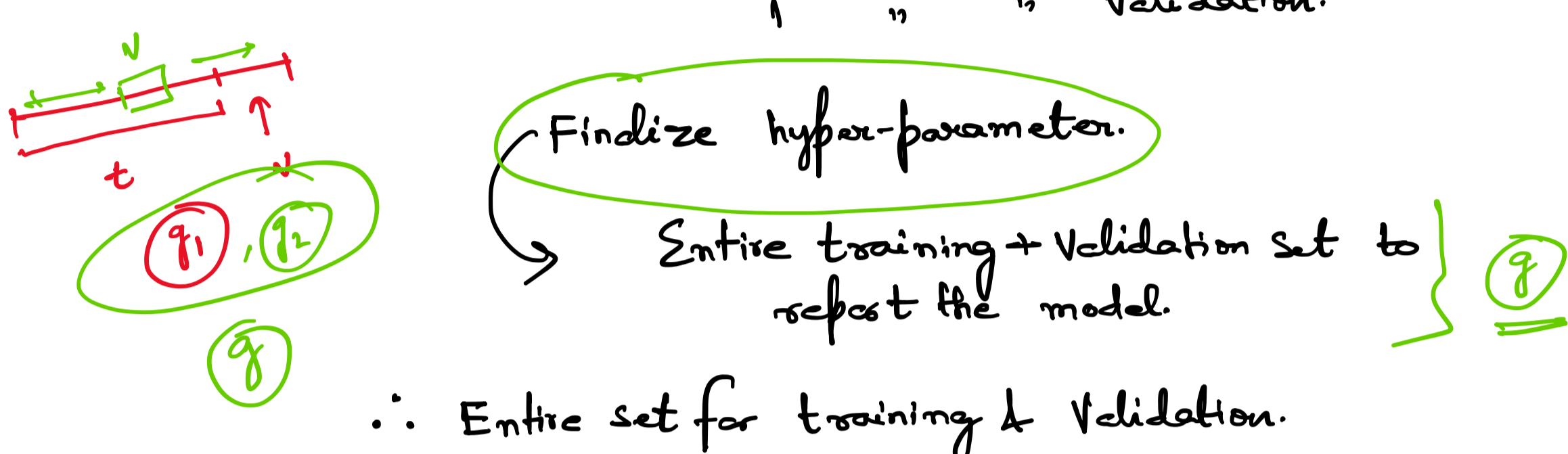
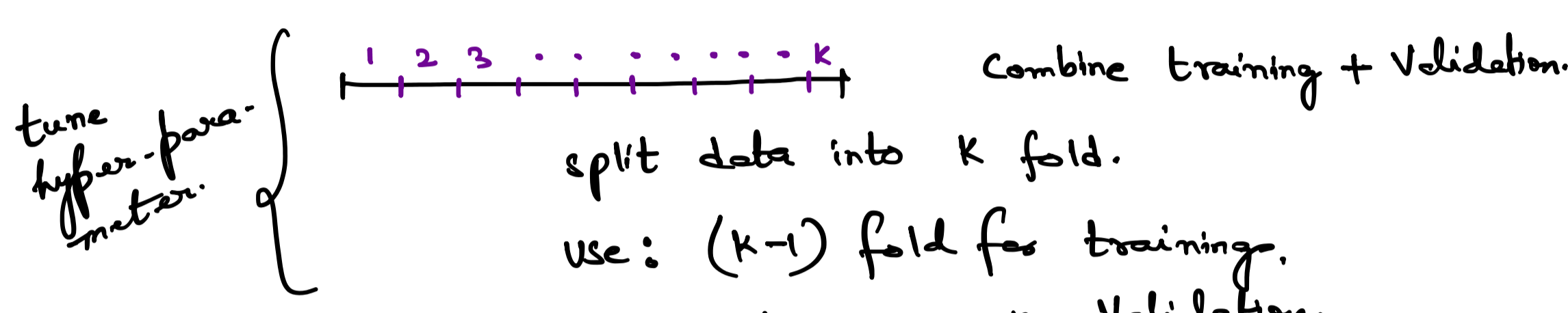
① Cross-validation:



⇒ We get a model: How good it is.



⇒ cross-validation comes to rescue



∴ Entire set for training & validation.

② Evaluation Metric:

JP Margan Example: $\boxed{X} \rightarrow \boxed{M} \rightarrow 99\%$

		Actual		
		+ve	-ve	
Predicted	+ve	True +ve TP ✓	False +ve FP ✓	$P = TP / (TP + FP)$
	-ve	False -ve FN ✓	True -ve TN ✓	

$R = \frac{TP}{(TP + FN)}$

(i) Accuracy: What % of the time model is classifying correctly.

(Well balanced No skew or class imbalance).

$\therefore Acc = \frac{(TP + TN)}{(TP + FP + FN + TN)}$

(ii) Precision: What proportion of predicted positives are truly positives?

(When we want to be very sure of our prediction.)

$P = \frac{TP}{(TP + FP)}$

(iii) Recall: What proportion of actual positives are correctly classified.

(When want to capture as many +ve as possible)

$R = \frac{TP}{(TP + FN)}$

(iv) F1 score: trade off b/w Precision & Recall. It is harmonic mean of Precision & Recall.

$\frac{1}{F_1} = \frac{1}{2} \left(\frac{1}{P} + \frac{1}{R} \right)$

$\Rightarrow F_1 = 2 \left(\frac{PR}{P+R} \right)$

eg: if you are a police officer & you want to catch criminals, you want to be sure that the person you are catching is a criminal (Precision) & you also want to catch as many criminals as possible (Recall). F_1 manages this tradeoff.

$F_\beta = (1 + \beta^2) \frac{(Precision \cdot Recall)}{(\beta^2 \cdot Precision) + Recall}$

(Not equal weightage).

① LogLoss / binary cross entropy:

$L_{BCE} = - [y \log p + (1-y) \log (1-p)]$

$p \rightarrow$ prob of predicting 1.

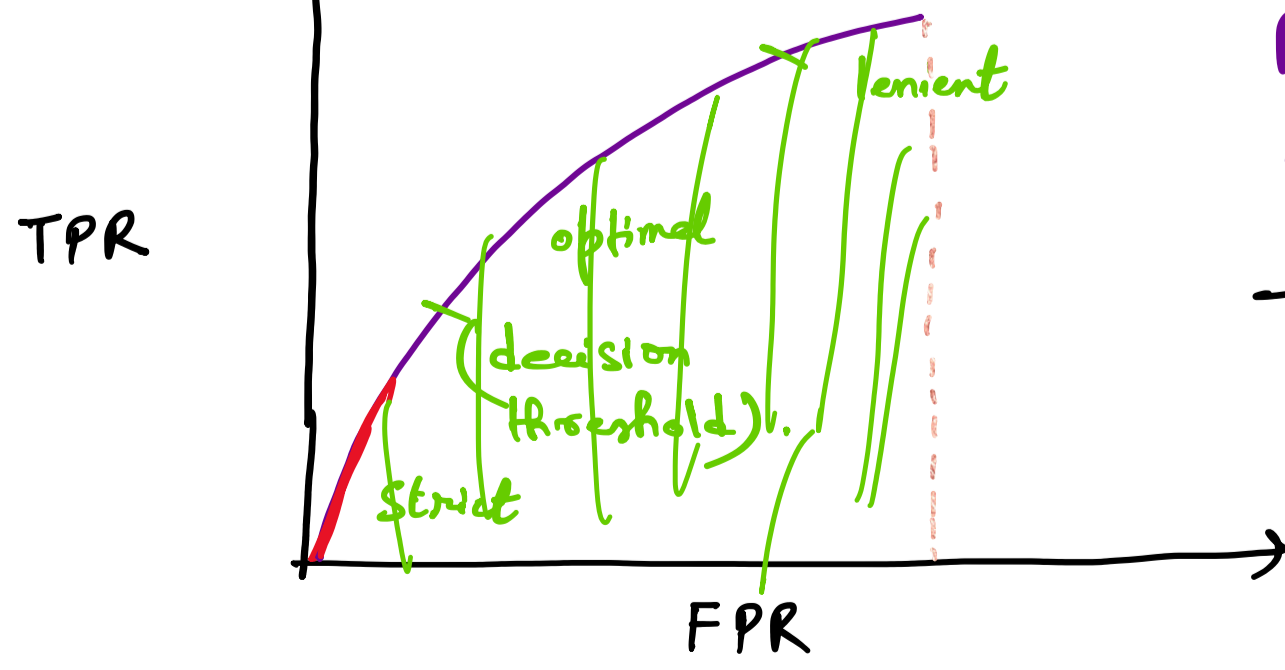
Categorical CE = ?

⑥ ROC Curve: Sensitivity / TPR Vs FPR.

(True +ve rate)

$TPR = Recall = \frac{TP}{(TP + FN)}$

$1 - specificity = FPR = \frac{FP}{(TN + FP)}$



Receiver operating characteristic curve. - it plots performance of classification model at all level of threshold.

AUC:

it provides an aggregate measure of performance across all possible classification threshold.

prob. of ranking a +ve examples more highly than a -ve examples.

100% wrong $\rightarrow AUC = 0$ | scale-invariant.
100% correct $\rightarrow AUC = 1$ | (measures how well prediction are ranked rather than their absolute value).